

# Misère

Time limit: 2 seconds  
Memory limit: 1024 megabytes

*Préférence* is a card game which is very popular in Eastern Europe. It is usually played with a 32-card deck, which consists of pip cards from 7 to 10, Jack, Queen, King, and Ace in each of the four suits: Spades, Clubs, Diamonds, and Hearts. In each round of the game, three players receive ten cards each, and two cards are left on the table as a talon. Then, a phase of auction happens, where players make their bids, which are obligations to take at least a certain number of tricks. A special case of a bid is a so-called *misère*, which is an obligation to take no tricks regardless of other players' moves.

In this task, we will consider a special modification of *préférence* which is played with a modified deck containing  $A \cdot B$  cards, where  $A$  is a number of suits, and  $B$  is the number of ranks in each suit. For example, the standard 32-card deck for the *préférence* game has  $A = 4$  suits and  $B = 8$  ranks. For convenience, we'll number the suits from 1 to  $A$ , and the ranks from 1 to  $B$ .

You need to solve a puzzle about this modification of *préférence*. In this modification, we'll say that a *misère* is *guaranteed* if for every suit, after we order the cards belonging to this suit in your hand by their rank as  $b_1 < b_2 < \dots < b_k$  (where  $k$  is the number of cards of the suit in your hand), the following condition is satisfied:  $b_i \leq 2i - 1$  for all  $i$  from 1 to  $k$ . If you don't have any cards of the suit ( $k = 0$ ), the condition is trivially satisfied.

You have  $n$  cards in your hand, and you will be allowed to choose any  $x$  cards you don't have and add them to your hand. Then, you must select any  $x$  of your  $n + x$  cards and drop them, leaving some  $n$  cards in your hand. Your task is to find the smallest possible  $x$  such that you can transform your hand to a guaranteed *misère*.

## Input

Each test contains multiple test cases. The first line contains the number of test cases  $t$  ( $1 \leq t \leq 1000$ ). The description of the test cases follows.

The first line of each test case contains three integers  $n$ ,  $A$ , and  $B$ , denoting the number of cards in your hand, the number of suits in the deck, and the number of ranks in the deck ( $1 \leq n \leq 5000$ ;  $1 \leq A, B \leq 10^9$ ).

The  $i$ -th of the following  $n$  lines contains two integers  $a_i$  and  $b_i$  and describes one card, where  $a_i$  is the suit of the  $i$ -th card, and  $b_i$  is its rank ( $1 \leq a_i \leq A$ ;  $1 \leq b_i \leq B$ ). All the cards in your hand are distinct.

It is guaranteed that the sum of  $n$  over all test cases does not exceed 5000.

## Output

For each test case, print the smallest non-negative integer value of  $x$  such that you can transform your hand to a guaranteed *misère* by first adding  $x$  cards that you don't have to your hand, and then dropping any  $x$  cards from your hand.

It can be shown that such a value of  $x$  always exists.

## Example

standard input	standard output
2	1
4 2 6	2
1 1	
1 2	
1 6	
2 3	
2 4 5	
3 4	
2 4	