

# Just Half is Enough

Input file:            **standard input**  
Output file:          **standard output**  
Time limit:          2 seconds  
Memory limit:        1024 megabytes

Jacob is studying graph theory. Today he learned that a *topological ordering* of a directed graph is a linear ordering of its vertices such that for every directed edge  $(u, v)$  from vertex  $u$  to vertex  $v$ ,  $u$  comes before  $v$  in the ordering.

It is well-known that topological orderings exist only for graphs without cycles. But how do we generalize this concept for arbitrary graphs?

Jacob came up with the concept of a *half-topological ordering*: a linear ordering of the graph's vertices such that **for at least half** of all directed edges  $(u, v)$  in the graph,  $u$  comes before  $v$  in the ordering.

In other words, if the graph has  $m$  edges, and for a particular ordering,  $k$  of them satisfy the condition above, then the ordering is called *half-topological* if  $k \geq \lceil \frac{m}{2} \rceil$ .

Help Jacob find any half-topological ordering of the given graph, or report that none exist.

## Input

Each test contains multiple test cases. The first line contains the number of test cases  $t$  ( $1 \leq t \leq 10^4$ ). The description of the test cases follows.

The first line of each test case contains two integers  $n$  and  $m$ , denoting the number of vertices and the number of edges in the graph ( $2 \leq n \leq 10^5$ ;  $1 \leq m \leq 2 \cdot 10^5$ ).

The  $i$ -th of the following  $m$  lines contains two integers  $u_i$  and  $v_i$ , describing an edge from vertex  $u_i$  to vertex  $v_i$  ( $1 \leq u_i, v_i \leq n$ ;  $u_i \neq v_i$ ). The graph does not contain multiple edges: each directed edge  $(u, v)$  appears at most once. However, having both edges  $(u, v)$  and  $(v, u)$  is allowed.

It is guaranteed that the sum of  $n$  over all test cases does not exceed  $10^5$ , and the sum of  $m$  over all test cases does not exceed  $2 \cdot 10^5$ .

## Output

For each test case, print a single integer  $-1$  if the required half-topological ordering does not exist.

Otherwise, print  $n$  distinct integers  $p_1, p_2, \dots, p_n$ , describing the ordering of the given graph ( $1 \leq p_i \leq n$ ). For at least  $\lceil \frac{m}{2} \rceil$  of the edges  $(u_i, v_i)$ , integer  $u_i$  must come before integer  $v_i$  in this list. If there are multiple answers, print any of them.

## Example

standard input	standard output
2	1 2 3
3 3	3 1 5 4 2
1 2	
2 3	
3 1	
5 6	
4 2	
2 1	
4 3	
1 4	
3 2	
3 5	